

# CH as a tracer for molecular hydrogen:

Forming synergies between its far-infrared and radio fingerprints

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The Cosmic Cycle of Dust and Gas in the  
Galaxy: From Old to Young Stars

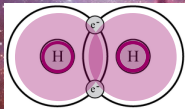
**IMPRS**  
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Bonn and Cologne



# Introduction

Most abundant molecule  $H_2$

Key role in the chemistry  
of star forming regions



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**INVISIBLE**

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**INVISIBLE**

⇒ Chemical tracers

eg: CO

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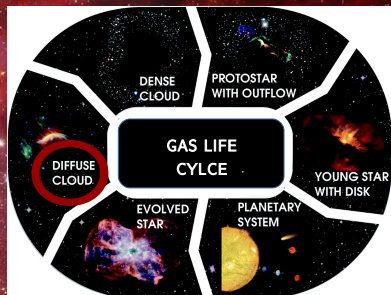
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**INVISIBLE**

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# Introduction

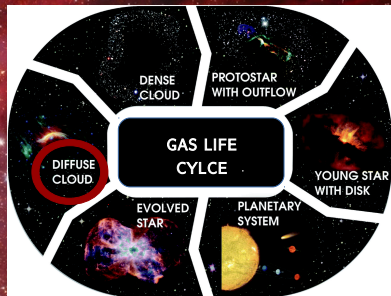
Most abundant molecule  $H_2$   
Key role in the chemistry  
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**INVISIBLE**

⇒ Chemical tracers

eg: CO

How reliable is CO as a  
tracer for  $H_2$ ?



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# Is CO a reliable tracer in diffuse regions?

- CO has varying abundance w.r.t.  $H_2$  in diffuse clouds (Liszt and Pety, 2012)
- Molecular gas ( $H_2$ ) exists without associated CO (Blitz et. al 1990)

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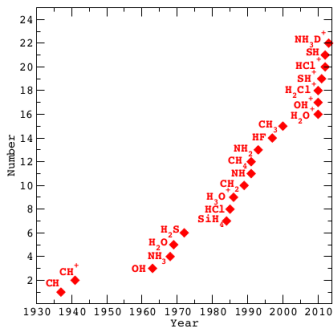
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**Interstellar Hydrides** like CH, OH

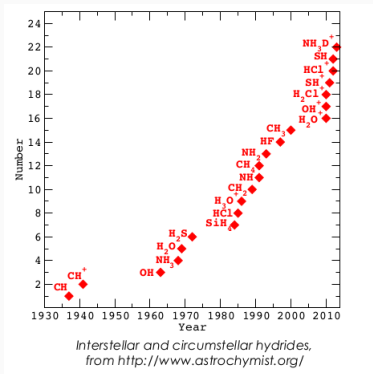
# Why hydrides?



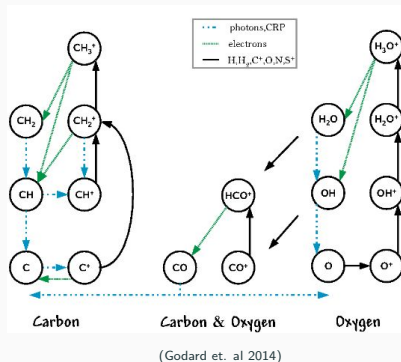
Interstellar and circumstellar hydrides,  
from <http://www.astrochymist.org/>

- First molecules discovered in the ISM (Dunham et al. 1937)
- Reservoir of heavy elements

# Why hydrides?

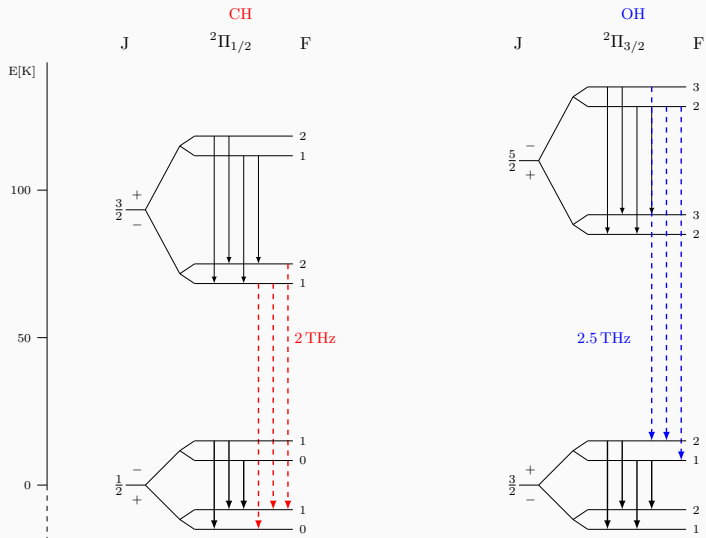


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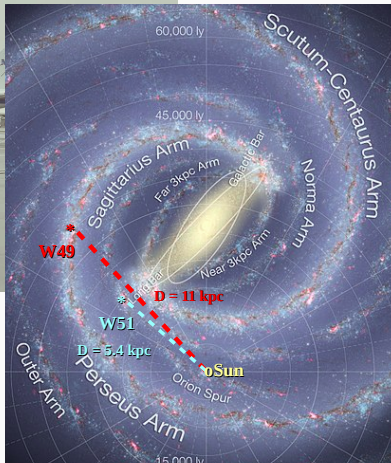


- Initial products of chemical networks  
⇒ Building blocks of interstellar chemistry

## Fundamental rotational transitions lie in the sub-mm regime

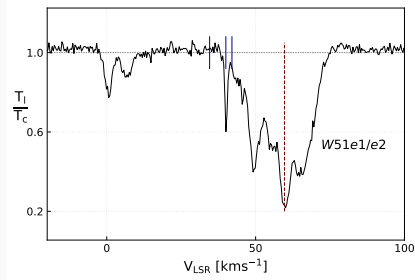
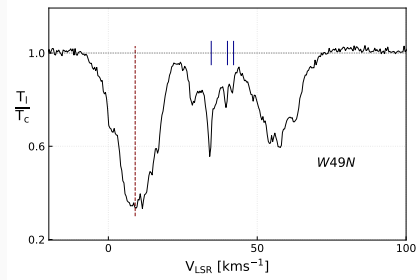


## German REciever for Astronomy at Terahertz frequencies



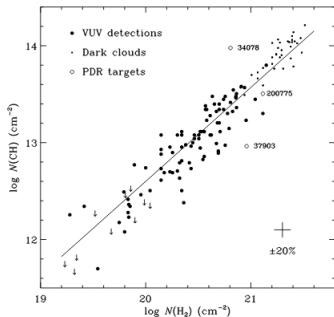
# Hydrides as diagnostics for H<sub>2</sub>

Absorption line spectroscopy → robust means of determining column densities  
( independent of gas temperature, density, collisional excitation rates, etc)



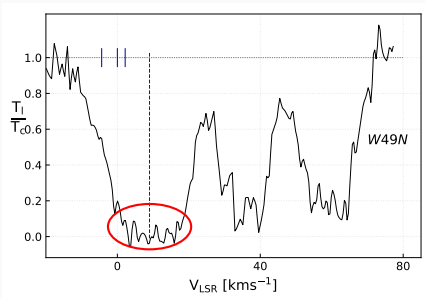
# Why use CH?

- Ubiquitous
- Tight correlation with  $\text{H}_2$ ,  
 $[\text{CH}]/[\text{H}_2] = 3.5 \times 10^{-8}$



(Sheffer et al. 2008)

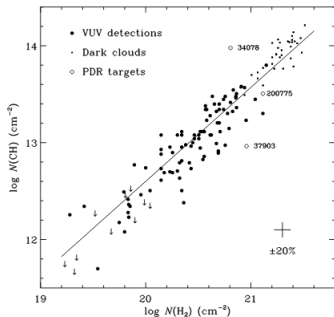
- Unsaturated ground state absorption



Saturated OH absorption

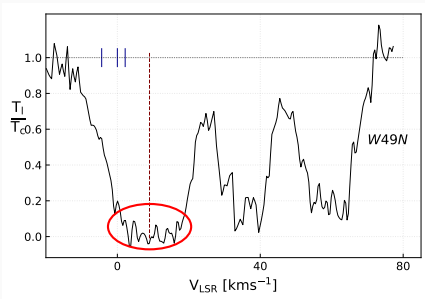
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Saturated OH absorption

→ Derive column densities



Fit the spectra

Fit the spectra

## Multi-Gaussian fitting

- Superposition of Gaussian profiles to describe complex features
- Uses a large number of parameters
- Lacks uniqueness

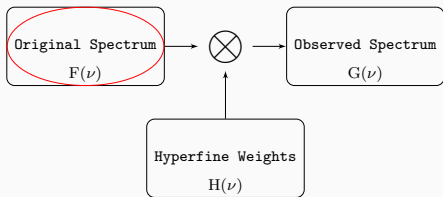
## Fit the spectra

### Multi-Gaussian fitting

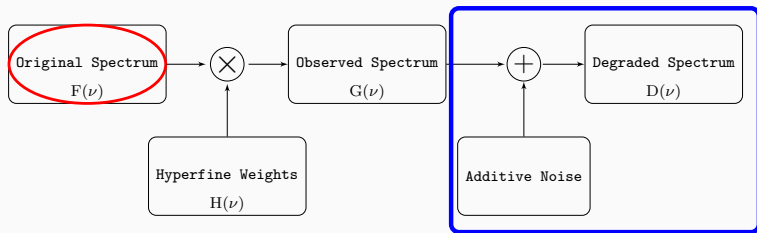
- Superposition of Gaussian profiles to describe complex features
- Uses a large number of parameters
- Lacks uniqueness

### Deconvolution

- Decomposes the observed spectrum
- Division in Fourier space,  
$$F(\nu) = \frac{G(\nu)}{H(\nu)}$$



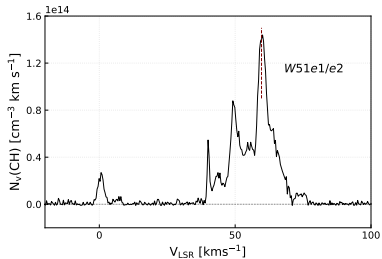
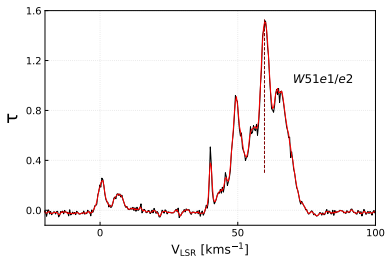
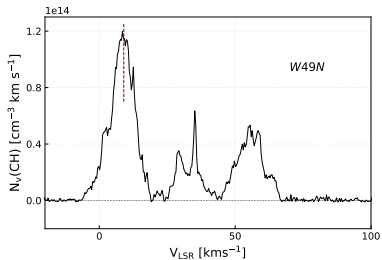
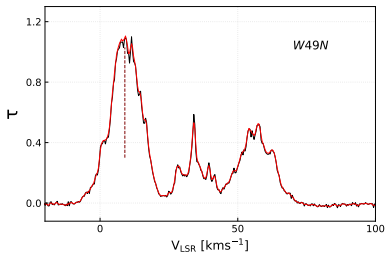
# Wiener filter deconvolution



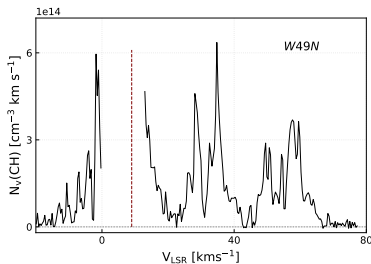
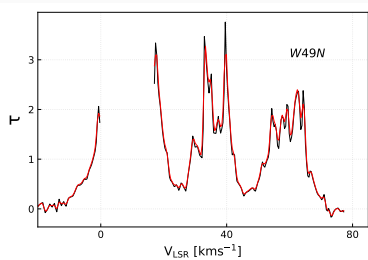
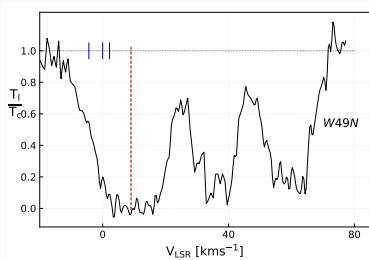
$$F(\nu) = \frac{D(\nu)}{H(\nu)} \underbrace{\frac{|H(\nu)|^2}{|H(\nu)|^2 + \left|\frac{1}{SNR}\right|^2}}_{\text{Wiener Filter}}$$

Optimized by minimizing the mean square error between the original spectrum and its Wiener filter approximation (Jacob et al. in prep)

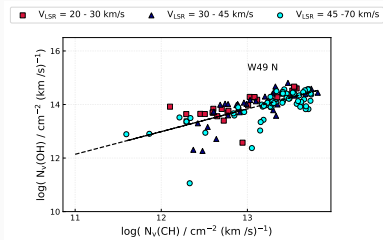
# Wiener filter results



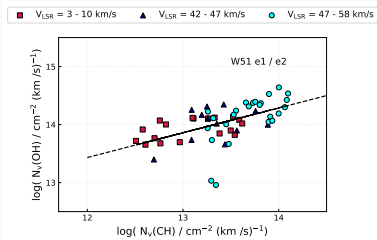
# Similarly for OH



# Canconical $N(\text{OH})/N(\text{H}_2)$ relation?

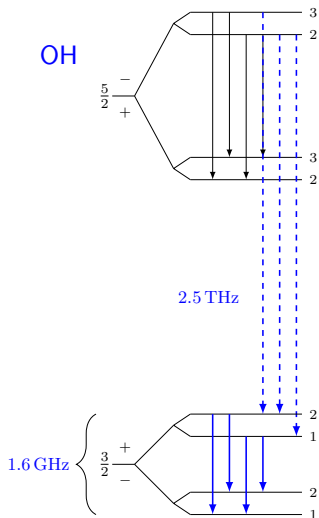
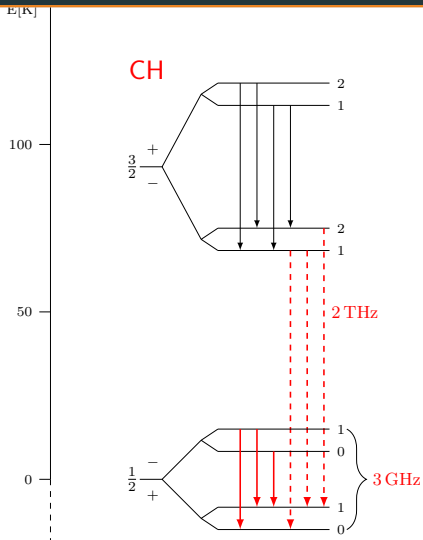


- Pearson's  $r$ -value = 0.68
- $N(\text{OH})/N(\text{CH}) = 4.7$
- $N(\text{OH})/N(\text{H}_2) = 1.6 \times 10^{-7}$



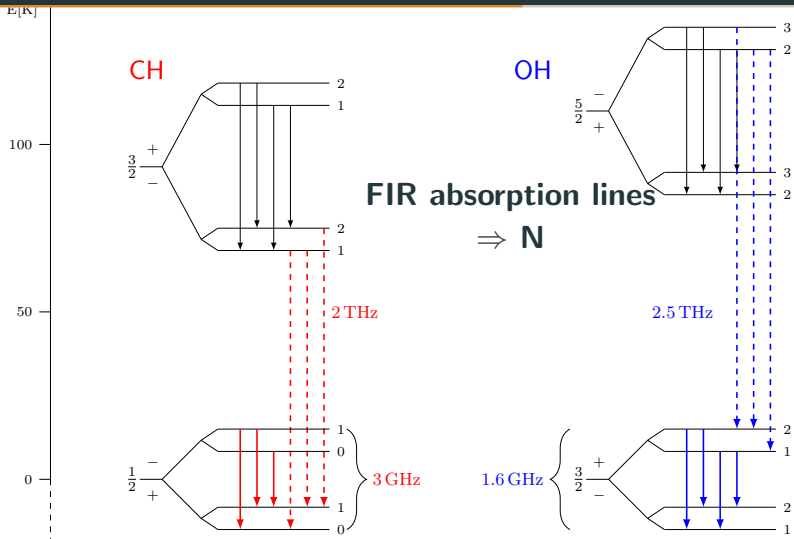
- Pearson's  $r$ -value = 0.68
- $N(\text{OH})/N(\text{CH}) = 2.0$
- $N(\text{OH})/N(\text{H}_2) = 0.7 \times 10^{-7}$

# Synergy?

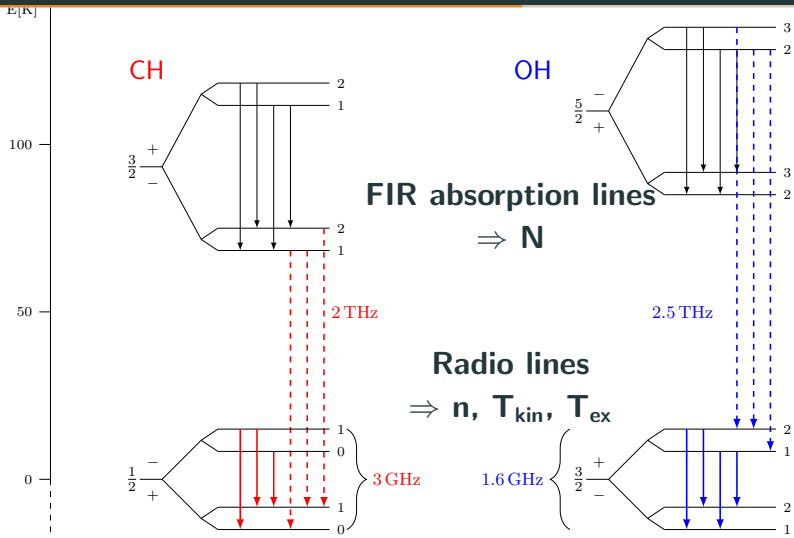




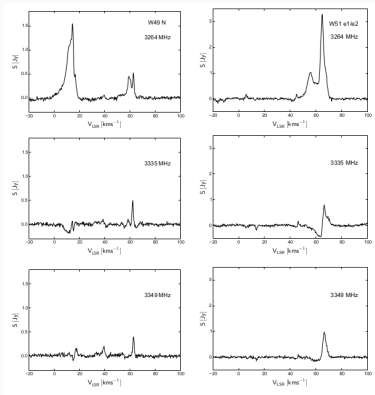
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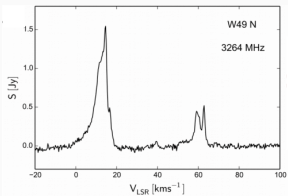
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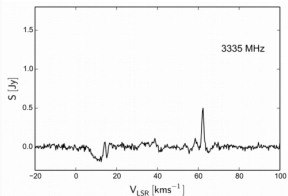
# CH radio lines



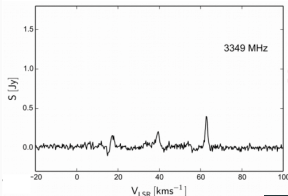
# CH radio lines



Lower  
Satellite  
Line  
 $0 \rightarrow 1$



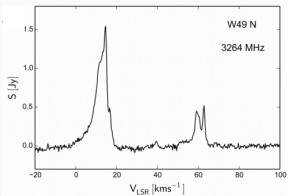
Main  
Satellite  
Line  
 $1 \rightarrow 1$



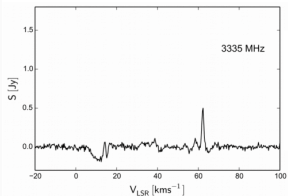
Upper  
Satellite  
Line  
 $1 \rightarrow 0$

- At LTE,  $I_{(3264)} : I_{(3335)} : I_{(3349)} = 1 : 2 : 1$
- Deviations from LTE  $\Rightarrow$  interactions with radiation

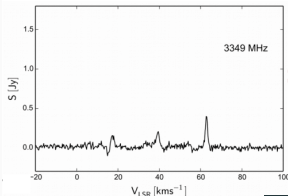
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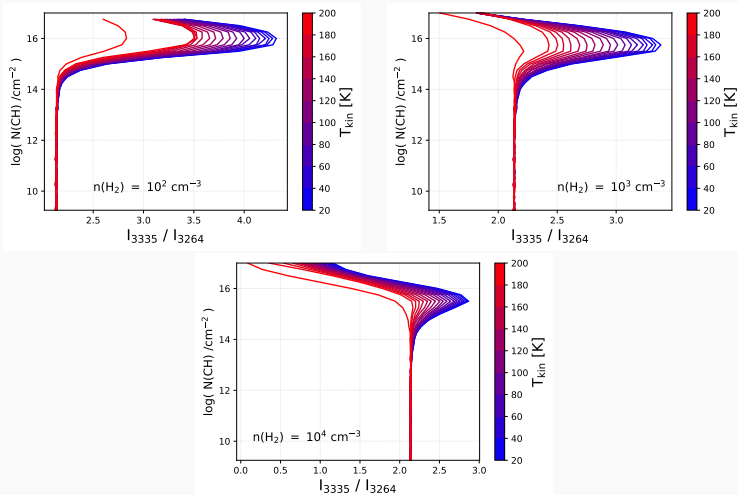


Upper  
Satellite  
Line  
 $1 \rightarrow 0$

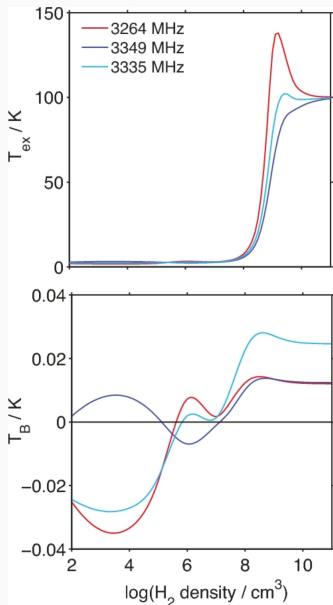
- At LTE,  $I_{(3264)} : I_{(3335)} : I_{(3349)} = 1 : 2 : 1$
- Deviations from LTE  $\Rightarrow$  interactions with radiation
- Requires non-LTE radiative transfer modelling
- $N(\text{CH})$  from FIR transitions used as input

# Constraining the physical conditions

- MOLPOP-CEP (Coupled Escape Probability)
- Collisional rate coefficients from Dagdigian et al, 2018



# RADEX models



(Dagdikian et al, 2018)

## Model

- Expanding Sphere,  $T_{\text{kin}} = 100 \text{ K}$ ,  $\text{o/p} = 1.63$

## Results

- $T_{\text{ex}} < T_{\text{CMB}}$  up to  $n(\text{H}_2) \sim 10^7 \text{ cm}^{-3}$
- $T_{\text{ex}}$  rapidly increases at  $n(\text{H}) \sim 2 \times 10^7 \text{ cm}^{-3}$
- $T_{\text{b, model}} \not\approx T_{\text{b, obs}}$

# Conclusion

- The Wiener filter deconvolution provides a fast and non-iterative scheme to compute column densities of spectra plagued by hyperfine structure.
- $N(\text{OH})/N(\text{H}_2)$  relation ... ?
- Line inversion is not reproduced by the models  $\Rightarrow$  physical conditions cannot be constrained.
- The simple RT calculations are not sufficient to explain the observed anomalous excitations (currently carrying out **RATRAN** modelling).



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- The Wiener filter deconvolution provides a fast and non-iterative scheme to compute column densities of spectra plagued by hyperfine structure.
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Thank you

## 2 THz Transitions

**Table 1:** 2 THz doublet transitions. (\*) indicates the transitions that were observed. The frequencies, Einstein coefficients and upper level energies are taken from the CDMS Mueller et. al, 2001 database.

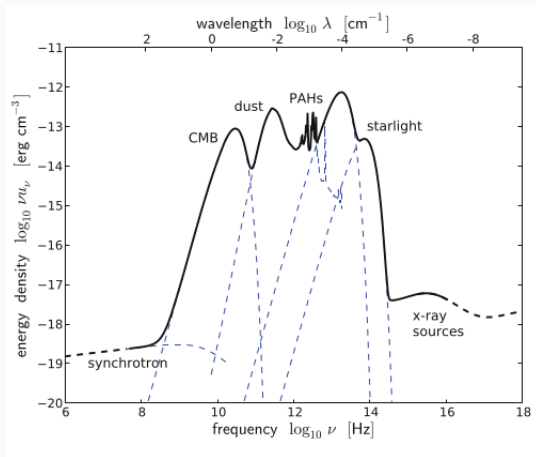
Species	Transition	Hyperfine Components	Frequency [GHz]	$A_E$ [ $s^{-1}$ ]	$E_U$ [K]
CH	N = 2 $\leftarrow$ 1 , J = 3/2 $\leftarrow$ 1/2	*F = 1 <sup>-</sup> $\leftarrow$ 1 <sup>+</sup>	2006.74892	0.01117	96.31011
		*F = 1 <sup>-</sup> $\leftarrow$ 0 <sup>+</sup>	2006.76263	0.02234	96.31005
		*F = 2 <sup>-</sup> $\leftarrow$ 1 <sup>+</sup>	2006.79912	0.03350	96.31252
		F = 1 <sup>+</sup> $\leftarrow$ 1 <sup>-</sup>	2010.73859	0.01128	96.66158
		F = 1 <sup>+</sup> $\leftarrow$ 0 <sup>-</sup>	2010.81046	0.02257	96.66157
		F = 2 <sup>+</sup> $\leftarrow$ 1 <sup>-</sup>	2010.81192	0.03385	96.66510

## 3 GHz Transitions

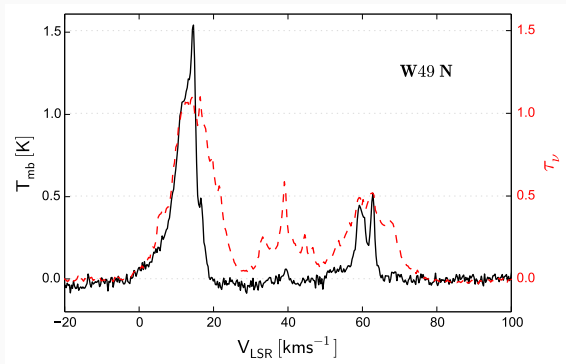
**Table 2:** 3 GHz  $\Lambda$ -doubling transitions were observed. The frequencies, Einstein coefficients and upper level energies are taken from the CDMS Mueller et. al 2001 database.

Species	Transition	Hyperfine Components	Frequency [MHz]	$A_E$ [ $\times 10^{-10} \text{s}^{-1}$ ]	$E_U$ [K]
CH	N = 1 J = 1/2	$F = 0^- \leftarrow 1^+$	3263.79340	2.88	0.15736
		$F = 1^- \leftarrow 1^+$	3335.47940	2.05	0.16080
		$F = 1^- \leftarrow 0^+$	3349.19260	1.04	0.16074

$$T_{eX} = T_{\text{CMB}}$$



**Figure 1:** Schematic sketch of the energy density of the interstellar radiation field at different frequencies. (Tielens)



## Critical Densities

**Table 3:** Critical densities of the CH 2 THz transitions at  $T_{\text{kin}} = 50$  K.

Collision Partner	$n_{\text{crit}} [\text{cm}^{-3}]$		
	2006.74 THz	2006.76 THz	2006.79 THz
H <sub>2</sub>	$5.00 \times 10^7$	$9.95 \times 10^7$	$1.45 \times 10^8$
H	$8.88 \times 10^7$	$1.76 \times 10^8$	$2.48 \times 10^8$

**Table 4:** Critical densities of the CH 3 GHz transitions at  $T_{\text{kin}} = 50$  K.

Collision Partner	$n_{\text{crit}} [\text{cm}^{-3}]$		
	3.264 GHz	3.349 GHz	3.335 GHz
H <sub>2</sub>	1.77	0.63	1.24
H	32.28	8.90	17.53

## Negative Excitation Temperatures

$$\frac{n_u}{n_l} = \frac{g_u}{g_l} \exp\left(\frac{-\Delta E}{k_B T_{\text{ex}}}\right)$$

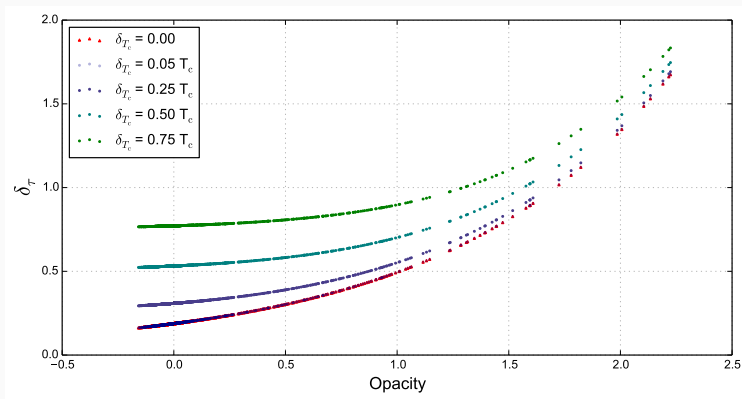
If the upper level is overpopulated for some reason,

$$\frac{n_u}{n_l} > \frac{g_u}{g_l}$$

Then  $T_{\text{ex}}$  is negative

- Since,  $\tau \propto [1 - \exp(\frac{-\Delta E}{k_B T_{\text{ex}}})]$  the optical depth is also negative.
- At radio wavelengths this is called maser (microwave amplification by stimulated emission of radiation) amplification.
- Astrophysical masers are common at radio frequencies because  $\Delta E \ll k_B T_{\text{ex}}$ .

## Error Analysis



**Figure 2:** Displays the importance, uncertainty measures in the continuum play in derived results such as the opacity. The curves represent  $\delta T_c$  at 0, 5, 25, 50 and 75 % of the measured continuum level  $T_c$ .